

# Secure Multihop Key Establishment Protocols for Wireless Sensor Networks

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**Abstract.** Designing secure communication protocols is not an easy task. Cryptography is often necessary but does not always guarantee the security of protocols as several famous examples attest in the literature. Moreover, in the context of Wireless Sensor Networks (WSNs) the design is even more difficult due to the limited resources of sensor nodes that add extra constraints to take into account. During the life time of a secure WSN, one of the first crucial steps is the key establishment between two nodes. In this paper we propose four secure multihop key establishment protocols based on elliptic curve cryptography (ECC). For each protocol, we make a formal security proof using the automatic tool Scyther. Then, in order to evaluate their performances, we implemented them on testbeds using TelosB motes and TinyOS. Results allow us to estimate the overhead of our key establishment methods.

**Keywords:** Authentication, key establishment, Wireless Sensor Network, Security, Multihop, Formal Verification.

## 1 Introduction

Due to the technological advances, Wireless Sensor Networks (WSNs) are more and more used in diverse applications. In the first age of WSNs, the main concern was to efficiently transmit the data to the destination using wireless communications. Only few applications, like military WSN examples, required a high level of security [7]. In this context, it is important to design secure efficient communication mechanisms between nodes of the network, using cryptography.

Moreover, with the expansion of the Internet of Things (IoT) more and more devices will be interconnected and monitoring critical human activities. For instance nowadays most of the smart phones have a GPS, a camera, and several sensors. In a close future our environment will be equipped with several sensors in order to collect data to inform the user. In this context the knowledge of this data can leak private information, one solution to avoid this is to use cryptography in order to preserve privacy of the users. One of the first steps in this situation is to design secure multihop key establishment protocols. This is the main motivation of this paper.

### Contributions:

Our goal is to design several secure key establishment protocols for WSNs and to evaluate their performances on real nodes. Hence our contributions can be split in three points:

- Design of key establishment protocols based on ECC.
- Formal security analysis of the protocols.
- Evaluation on TelosB testbeds of the execution time of each solution.

All our protocols are based on Elliptic Curve Cryptography (ECC) with a key of 160 bits. We propose a first protocol called  $MKE_S$ . It allows nodes that already share a key with the sink to establish a new secret key. The idea is to use the sink as a kind of third trusted party to establish a new key. In addition, we propose an improvement of this protocol called  $MKE_S - light$ . In this version, the sink performs costly computation instead of the nodes, since in many situations the sink has no limited battery and more computation power than nodes of the WSN. We also give two other protocols that establish a secret key between two nodes without passing by the sink. The first one is called  $MKE_{NK}$ , it uses only the network key shared between all the authenticated nodes in the network. This authentication phase can be done for instance using one of the protocols proposed in [10]. The second protocol is called  $MKE_K$ , also it does not use the sink, but it uses the symmetric keys shared between neighbor nodes. In order to guarantee the authentication of nodes involved, this protocol only requires two flows of messages instead of three as it is the case for the protocol  $MKE_{NK}$ .

In order to prove the security of all these protocols, we used Scyther an automatic cryptographic protocol verification tool developed by Cas Cremers. It is easy to propose a flawed protocol, this tool helps to verify the correctness of the security protocol and make sure that it resists against several kinds of attacks. Each of our solutions uses a different approach to securely establish a new secret key, they vary according to the number of cryptographic operations involved and the trust level that we need to have in the network nodes.

Our last contribution is the implementation on real nodes of all our protocols. Our aim is to measure the execution time of each protocol, but also to compare them in order to be able to judge which one is the most suitable.

## Related Work:

Many contributions have been made in the key establishment and symmetric key distribution in WSNs. Some of them are based on a probabilistic predistribution that guarantees that any two nodes in the network are able to share a key with a certain probability, and others are deterministic but cause more storage overhead [1]. One of the most known symmetric key systems that were proposed for wireless sensor networks is SPINS (Security Protocols for Sensor Networks) [13] which uses a simplified version of TESLA (Timed, Efficient, Streaming, Loss-tolerant Authentication) protocol [12]. In SPINS, the base station plays an essential role in the key establishment process. It is a lightweight protocol but suffers from scalability and high dependency on the base station.

Authors in [11] proposed a multi-hop key establishment between nodes called Micro-PKI. Their method is based on the pre-distribution of the public key of the base station. Using this public key, every node is able

to create a secret key with any other node of the network. The authentication process in this proposal is only dependent on the public key of the base station, if a node has this key, it is considered authenticated. This makes the procurement of this public key very critical on which depends the whole security architecture.

In [3], authors proposed PIKE, peer intermediaries for key establishment, one of the most famous key establishment protocols that is not dependent on a central trusted node. According to PIKE, keys are pre-deployed in the nodes in such a way to guarantee that any two nodes in the network have at least one node in common with which each one of the two nodes has a secret key with it. Therefore, these two nodes are able to establish a secret key by using the trusted channel established with the common node. PIKE suffers from high memory storage to make sure that nodes are able to find at least one node in common to establish a new key.

CARPY and CARPY+ were proposed in [15]. They are based on the symmetric keys of Blom [2] with a perturbation function that makes more difficult for an attacker to guess the pairwise keys. In their paper they discuss the five criteria that were proposed in [16] and claim that CARPY+ satisfies all of them. These criteria are: *Resilience to the Adversary's Intervention* during the key establishment phase, *Directed and Guaranteed Key Establishment* for any couple of nodes in the network, *Resilience to Network Configurations* nodes should be able to establish keys in any kind of network topology, *Efficiency* of the key establishment process in terms of memory storage, communication overhead and complexity, *Resilience to Dynamic Node Deployment* which allows nodes to be added at any time to the network and enabling them to establish keys. The main weakness of this scheme is the lack of a rekeying process. The preshared matrices will only help to create one pairwise key for every couple of nodes.

Table 1 summarizes a comparison between the related work schemes and our proposition. The comparison is based on some repudiated criterias in WSN area. As the table shows, Yu et al. scheme [15] is the closest one to our schemes. Nevertheless, the authors use TelosB motes to evaluate energy consumption of basic operations used in their schemes and they provide a large scale simulation for thousands of nodes based on these measurements.

| Proposed scheme                   | Pre-distribution | Trusted Party | Cryptographic technique | Simulation | Implementation | Verification |
|-----------------------------------|------------------|---------------|-------------------------|------------|----------------|--------------|
| Perrig et al., 2000[12], 2002[13] | yes              | Base station  | symmetric               | JAVA       | none           | manual       |
| Chan et al., 2005[3]              | yes              | Base station  | symmetric               | yes        | none           | manual       |
| Yu et al., 2009[15]               | yes              | none          | symmetric               | none       | TelosB         | manual       |
| Munivel et al., 2010[11]          | yes              | Base station  | symmetric/asymmetric    | manual     | none           | none         |
| Our schemes                       | yes              | Base station  | symmetric/asymmetric    | none       | TelosB         | automatic    |

Table 1: Comparison of related work schemes.

In this paper, we did not compare our time execution results with other protocols from the state of the art because implementations are hardware and system dependent. In addition, they can be optimized for certain platforms which makes the comparison unfair using different platforms and cryptographic primitives. Finally the main difference with other works is that we formally prove the security of all our protocols using the automatic verification tool Scyther [4].

### Outline:

In the next section, we introduce the notations used and present four key establishment protocols. Then, in Section 3, we give the results of our implementation on TelosB motes. Finally, we conclude in the last section.

## 2 Multi-hop Key Establishment Protocols

In our evaluation testbed, we used public keys based on Elliptic Curve Cryptography (ECC), using parameters secp160r1 given by the Standards for Efficient Cryptography Group [14]. Our implementation of ECC on TelosB is based on TinyECC library [8]. More precisely we used the Elliptic Curve Diffie-Hellman (ECDH) key agreement scheme [5]. For all symmetric encryption/decryption we use an optimized implementation of AES with a key of 128 bits proposed by [9].

Note that we only use the public keys in order to establish symmetric keys without doing any asymmetric encryption or decryption operations. Indeed, it helps us establish a pairwise key without interaction between nodes thanks to the predistribution of public keys before the deployment. Before deployment, each node  $N$  knows the public key  $pk(S)$  of the sink  $S$  and also its own pair of private and public keys, denoted  $(pk(N), sk(N))$  respectively. Based on ECC, we have that  $pk(N) = sk(N) \times G$ , where  $G$  is a generator point of the elliptic curve. Using this material, each node  $N$  can compute a shared key with the sink  $S$  using a variation of the Diffie-Hellman key exchange without interaction between the nodes, denoted  $K_{DH}(N, S)$ . These computations can be done by the sink and by all nodes before deployment in order to preserve their energy.

- The sink knows its own secret key  $sk(S)$  and the public key  $pk(N)$  of a node  $N$ . The sink computes  $K_{DH}(N, S) = sk(S) \times pk(N)$ .
- Node  $N$  multiplies his secret key  $sk(N)$  by the public key of the sink  $pk(S)$  to get  $K_{DH}(N, S)$ .

Both computations give the same shared key since:

$$\begin{aligned}
 K_{DH}(N, S) &= sk(N) \times pk(S) \\
 &= sk(N) \times (sk(S) \times G) \\
 &= (sk(N) \times G) \times sk(S) \\
 &= pk(N) \times sk(S)
 \end{aligned}$$

### Notations

In what follows, we use the following notations to describe exchanged messages in our protocols:

- $I$ : a new node that initiates the protocol,
- $R$ : a neighbour of node  $I$ ,
- $S$ : the sink of the network (also called base station),
- $J_i$ : the  $i$ -th intermediate node between  $R$  and  $S$ ,
- $n_A$ : a nonce generated by node  $A$ ,
- $pk(A)$ : the public key of node  $A$ ,
- $sk(A)$ : the secret (private) key of node  $A$ ,
- $K(I, S)$ : the session key between  $I$  and  $S$ ,
- $NK$ : the symmetric network key between all nodes of the network,
- $K_{DH}(N, S)$ : the shared symmetric key between  $N$  and  $S$  using the Diffie-Hellman key exchange without interaction described above,
- $\{x\}_k$ : the encryption of message  $x$  with the symmetric or asymmetric key  $k$ .

In all the figures that describe our protocol, we denote a direct communication by an arrow between two nodes, and a communication passing by several possible intermediate nodes by a dotted arrow. We also explicit above each exchanged message the size in Bytes.

### Protocols with Intervention of the Sink

Our aim is to establish a shared key between any two authenticated nodes  $I$  and  $R$  of the network (not necessary in range). We propose two protocols, called  $MKE_S$  and  $MKE_S - light$ . Protocol  $MKE_S$ , depicted in Figure 1, uses the secure channels created between the sink and each node to communicate the public keys of  $I$  and  $R$ . Notice that in our context the sink knows all the public keys of all nodes and a node only knows its public key and the public of the sink. The initiator node  $I$  builds a request containing the identity of node  $R$  and a nonce  $n_I$ . This request is encrypted with  $K_{DH}(I, S)$  and sent to  $S$ . The sink  $S$  sends:

- to  $I$ , the identity of  $R$ , a nonce  $n_S$ , the public key of  $R$  encrypted with the shared symmetric key  $K_{DH}(I, S)$ ,
- to  $R$ , the identity of  $I$ , the same nonce  $n_S$ , the nonce  $n_I$  received from  $I$  and the public key of  $I$  encrypted with the shared symmetric key  $K_{DH}(S, R)$ .

Once these two messages received by  $I$  and  $R$ , the two nodes are able to compute  $K_{DH}(I, R)$  as follows:

- Node  $I$  computes  $sk(I) \times pk(R) = sk(I) \times sk(R) \times G = K_{DH}(I, R)$ .
- Node  $R$  computes  $sk(R) \times pk(I) = sk(R) \times sk(I) \times G = K_{DH}(I, R)$ .

To ensure mutual authentication of  $R$  and  $I$ , node  $R$  generates a nonce  $n_R$ , then uses  $K_{DH}(I, R)$  to encrypt its own identity, the two received nonces from  $S$  plus its nonce  $n_R$ . This cipher is sent to  $I$ , without necessary passing by  $S$ . Finally, node  $I$  verifies that the received nonce from  $R$  is the same as the one sent by the sink. Then it confirms that it correctly received the message by sending to  $R$  its own identity and the two nonces  $n_S$  and  $n_R$ , encrypted with  $K_{DH}(I, R)$ .

Notice that the computation of the new key  $K_{DH}(I, R)$  can be done by the sink in order to save some computations on nodes  $R$  and  $I$ . This version called  $MKE_S - light$  is depicted in Figure 2.

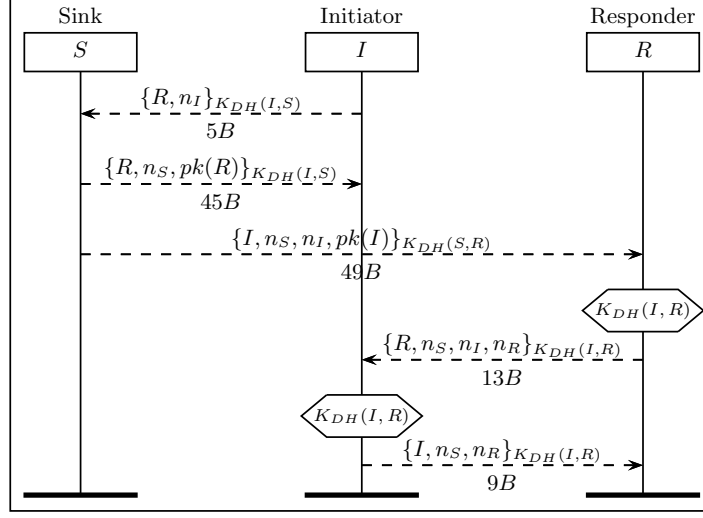


Fig. 1:  $MKE_S$ : Multihop Key Establishment using the sink  $S$  to deliver public keys.  $K_{DH}(I, R)$  is computed by the initiator  $I$  and the responder  $R$ .

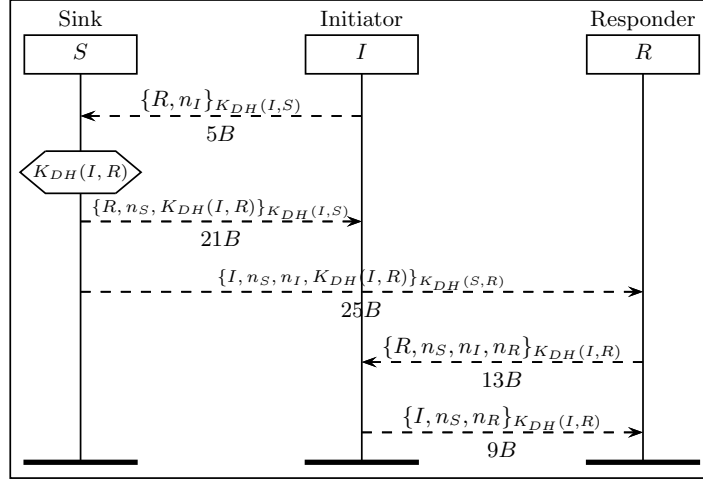


Fig. 2:  $MKE_S - light$ : Multihop Key Establishment using the sink  $S$  to compute and deliver  $K_{DH}(I, R)$  to initiator and responder nodes.

### Protocols without intervention of the Sink

In order to avoid exhausting nodes situated near the sink, we propose two protocols, called  $MKE_{NK}$  and  $MKE_K$ , that do not need the intervention of the sink in the key establishment process. The protocol  $MKE_{NK}$ , depicted in Figure 3, uses the network key  $NK$  allowing the initiator node  $I$  and the responder  $R$  to exchange their public key. The initiator node  $I$  builds a request containing his own identity and a nonce  $n_I$ . This request is encrypted with  $NK$  and sent to  $R$ . After decrypting this request, the responder  $R$  is able to extract  $pk(I)$  and compute  $K_{DH}(I, R)$ . In order to ensure mutual authentication of  $R$  and  $I$ , node  $R$  generates a nonce  $n_R$ , then uses  $K_{DH}(I, R)$  to encrypt the received nonce from  $I$  and its nonce  $n_R$ . Then, node  $R$  builds the response message including this cipher and his own public key  $pk(R)$ . The response message is encrypted using  $NK$  and sent to the initiator  $I$ . After decrypting the response message, node  $I$  extracts  $pk(R)$  and computes  $K_{DH}(I, R)$ . Using this key,  $I$  decrypts the two nonces  $n_I$  and  $n_R$ . After verifying the nonce  $n_I$ , node  $I$  builds a reply message containing  $n_R$ , encrypted with  $K_{DH}(I, R)$ . Finally, node  $R$  verifies that the received nonce  $n_R$  from  $I$  is the same as the one it originally sent.

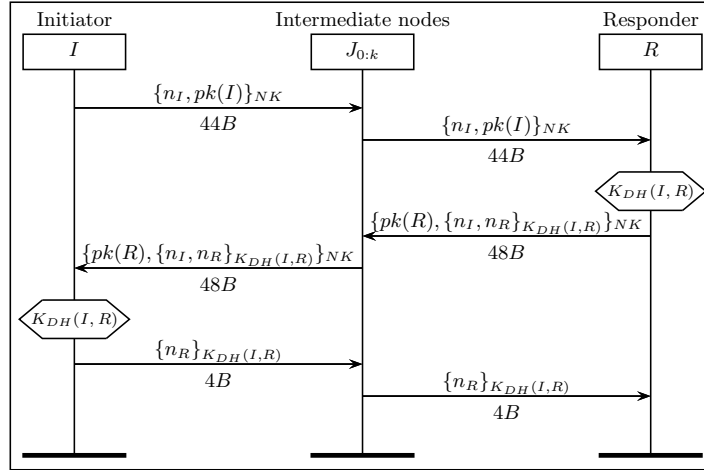


Fig. 3:  $MKE_{NK}$ : Multihop Key Establishment using the network key  $NK$ . No encryption/decryption operations on intermediate nodes.

We note that the use of  $NK$  to exchange public keys between nodes  $I$  and  $R$  can be useful when the initiator  $I$  is in the neighborhood of  $R$ . Indeed, node  $I$  sends directly its request to node  $R$  without the need of intermediate nodes to forward its request. Since the network key  $NK$  is known by all nodes before deployment, the protocol  $MKE_{NK}$  may suffer

from man-in-the-middle attack when an intruder is able to recover  $NK$  by capturing any node in the network for example. In what follows, we describe the scenario of such attack.

An intruder, denoted  $E$ , captures a previously authenticated node  $N$  in the network and compromises the network key. Node  $E$  intercepts the request sent from  $I$  to  $R$ , decrypts the request and builds an intruder request instead by replacing the nonce  $n_I$  by its own nonce  $n_E$  and  $pk(I)$  by  $pk(E)$ . Node  $E$  encrypts this new request using  $NK$  and sends it to  $R$ . Node  $R$  decrypts the request, extracts  $pk(E)$  and computes  $K_{DH}(R, E)$ . The response message to  $E$  becomes  $\{pk(R), \{n_E, n_R\}_{K_{DH}(E, R)}\}_{NK}$ . Upon reception, node  $E$  decrypts the response message with  $NK$ , extract  $pk(R)$  and computes  $K_{DH}(R, E)$ . Node  $E$  uses the key computed to decrypt the nonce  $n_R$  and sends it back to  $R$  encrypted with  $K_{DH}(R, E)$ . In order to finish his attack, node  $E$  builds a response message  $\{pk(E), \{n_I, n_E\}_{K_{DH}(E, I)}\}_{NK}$  and sends it to node  $I$ . Using  $pk(I)$ , which was extracted from the request originally sent by  $I$ , node  $E$  is able to compute  $K_{DH}(E, I)$ . Upon reception, the initiator  $I$  decrypts the received response using  $NK$ , computes  $K_{DH}(E, I)$  and replies with  $n_E$  encrypted with  $K_{DH}(E, I)$ .

In order to make the key establishment more resilient to node capture, we propose another protocol, called  $MKE_K$  that uses sessions keys previously established with common neighbors in order to establish new keys. The protocol  $MKE_K$ , depicted in Figure 4, uses the session keys established with common neighbors, denoted intermediate nodes  $J1 : k$ , in order to share a new key between an initiator  $I$  and a responder  $R$ . We assume that the trusted path from  $I$  to  $R$  is determined by a routing mechanism. Unlike the protocol  $MKE_{NK}$ , nodes  $J1 : k$  are involved in the key establishment, they decrypt, modify and encrypt the exchanged messages between nodes  $I$  and  $R$  instead of just forwarding.

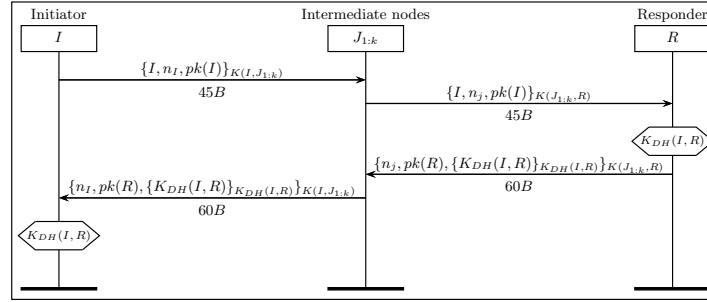


Fig. 4:  $MKE_K$ : Multihop Key Establishment using session keys. Encryption/decryption on every intermediate node.

Indeed, each intermediate node  $J_j$ , ( $j = 1, \dots, k$ ), extracts only the nonce from the request of the initiator  $I$  and replaces it by its own nonce

$n_j$ . Upon the reception of a response message sent by the responder  $R$ , node  $J_j$  recovers and verifies its nonce  $n_j$  and replies with the nonce extracted previously from the request. The adding of nonces  $n_j$  at each hop helps to authenticate intermediate nodes. Note that  $K_{DH}(I, R)$  is used as a common nonce between nodes  $I$  and  $R$  to ensure the mutual authentication between of  $I$  and  $R$ . Also, it should be noted that the protocol  $MKE_K$  can only be used if nodes  $I$  and  $R$  have at least one common neighbor.

### 3 Results

We prove the correctness of all our protocols automatically using Scyther a tool for the automatic verification of security protocols. Cas Cremers has developed an automatic tool called Scyther [4]. It is a free tool available on all operating systems (Linux, Mac and Windows). This tool can automatically find attacks on cryptographic protocols and prove their security for bounded and unbounded numbers of sessions. One main advantage of Scyther is that it provides an easy way to model security properties like secrecy and authentication. This tool abstracts the cost of the communications and the execution times of each cryptographic operation. Scyther uses the Dolev-Yao intruder model [6]. In this model, the intruder controls the network and all communications pass through it. Which means that all packets can be captured by the intruder. Moreover the intruder has its own public and private pair of keys. Thus, it is able to play the role of any participant in the protocol. It can also encrypt messages with all public or symmetric keys that it knows and decrypts cipher-texts only if it knows the decryption key.

In Table 2, we present the execution time for our protocols using TelosB which are very limited in calculation resources and are used as a base for comparison between the different protocols and not for obtaining the best results in terms of performance. Notice that these results are done with the minimum required cryptographic operations necessary to realize each protocol. For example, the evaluation of  $MKE_S$ ,  $MKE_S - light$ , and  $MKE_{NK}$  is done without intermediate nodes between node  $I$  and  $R$ . Indeed, the intermediate nodes are just forwarding the messages between  $I$  and  $R$ . In contrast, we evaluated  $MKE_K$  with one intermediate node between nodes  $I$  and  $R$  due to the necessity of one common neighbor node to use the session keys established with this neighbor.

Note that  $MKE_S - light$  is the most efficient of all protocols. Indeed, the computation of new shared keys are done by nodes  $I$  and  $R$  in all protocols except  $MKE_S - light$  where only the sink  $S$  is doing this computation. So  $MKE_S - light$  is very suitable for protocols where the sink has more capacities than the sensor nodes. We note that the computation of new keys according to  $ECDH$  without interaction is about 3.2 seconds. This time consumption has a clear effect on the execution time of protocols.

While the number of computation of new keys are equal in the  $MKE_S$ ,  $MKE_{NK}$  and  $MKE_K$ ,  $MKE_K$  differs from  $MKE_S$  and  $MKE_{NK}$  by the decryption/encryption operations done by intermediate nodes. Indeed, the difference is more than 400ms per each intermediate node.

| Protocol name   | Time<br>with $S$ (ms) | Time<br>without $S$ (ms) | Gain | Standard<br>deviation (ms) |
|-----------------|-----------------------|--------------------------|------|----------------------------|
| $MKE_S$         | 6888.15               | 6625.94                  | 4%   | 5.81                       |
| $MKE_S - light$ | 3679.30               | 365.85                   | 90%  | 5.02                       |
| $MKE_{NK}$      | 6853.26               | 6853.26                  | 0%   | 5.01                       |
| $MKE_K$         | 7434.95               | 7434.95                  | 0%   | 3.44                       |

Table 2: Execution times of all protocols.

In addition,  $MKE_S$  and  $MKE_{NK}$  have almost the same cryptographic operations which is why their execution times are very close. We can expect that the protocol  $MKE_S$  is more suitable when nodes  $I$  and  $R$  are next to the sink while the protocol  $MKE_{NK}$  is more suitable when these nodes are too far from the sink. So in a given topology, nodes should be able to execute the protocol that is less consuming according to their positions relative to the sink.

## 4 Conclusion

In this paper, we proposed different methods for establishing a secret key between two authenticated nodes in a WSN. We presented and validated two protocols that enables authenticated nodes to establish a common key in a multihop manner with the intervention of the sink or the base station of the WSN.

In order to avoid exhausting nodes that are located near the sink with the key establishment requests, we proposed two protocols that allow nodes to establish secret keys without the intervention of the sink  $MKE_{NK}$  and  $MKE_K$ . These latter protocols are based on the fact that nodes can use the network key to exchange key establishment messages or use previously established session keys on each hop.

Depending on the type of keys that are used and the intervention of the sink, the resiliency of the protocol against intruder attacks is different. The most vulnerable protocol is the one that uses the network key without the intervention of the sink  $MKE_{NK}$ , but it is the fastest one. The most secure protocols are  $MKE_S$  and  $MKE_S - light$ , but they exhaust nodes that are near the sink and might take longer routes to reach the sink compared to  $MKE_{NK}$  and  $MKE_K$ .

In our future work, we plan on evaluating the performance of each of these protocols with the presence of intermediate nodes between nodes that are establishing a new key, and between these nodes and the sink as well. Depending on the network topology, a trade-off might arise and we might need to make these protocols available at the same time and to be used according the relative positions of the involved nodes.

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